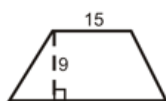


## Bell Ringer

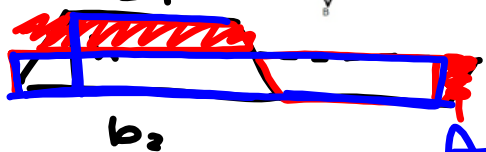
8.3 Areas of Trapezoids, Rhombuses, and Kites

Find the perimeter and area of each figure. find area only

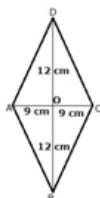
1.



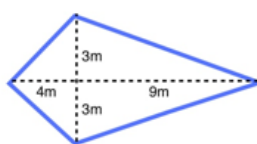
$$\frac{1}{2}(9)(15+23)$$



2.



3.



$$A = b \cdot h$$

$$A = \frac{1}{2} h (b_2 + b_1)$$

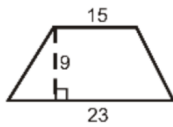
4. If  $f(x) = 2x + 3$  and  $g(x) = x - 5$ , find  $(f \circ g)(5)$

## Solutions

### 8.3 Areas of Trapezoids, Rhombuses, and Kites

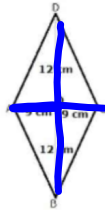
Find the perimeter and area of each figure.

1.



171 units<sup>2</sup>

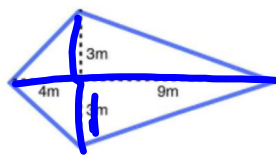
2.



216 cm<sup>2</sup>

$\frac{1}{2}(24)(18)$

3.



39 m<sup>2</sup>

$\frac{1}{2}(13)(6)$



4. If  $f(x) = 2x + 3$  and  $g(x) = 5 - 5$ , find  $(f \circ g)(5)$  3

$f(g(5))$   
 $g(5) = 5 - 5 = 0$   
 $f(0) = 3$

correct 8.2

hw 8.2 #s 8-12, 14-17, 21-27 odds, 36-40 evens


 **8.**  $200 \text{ m}^2$

**9.**  $64 \text{ ft}^2$

**10.**  $96 \text{ cm}^2$

 **11.**  $36 \text{ in.}^2$

**12.** No; explanations may vary. Sample: two altitudes of an obtuse  $\triangle$  lie outside the  $\triangle$ . The legs of a right  $\triangle$  are two altitudes of the  $\triangle$ .

 **14.** The area of  $\triangle ABC$  is half the area of the  $\square$ .

**15.** 4 in.

**16.** B

 **17.** 14 cm

~~**18.** 16~~

 **21.**  $15 \text{ units}^2$

**23.**  $6 \text{ units}^2$

**25.**  $27 \text{ units}^2$

 **27.**  $21 \text{ units}^2$

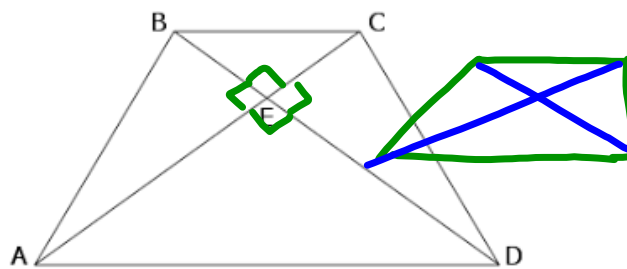
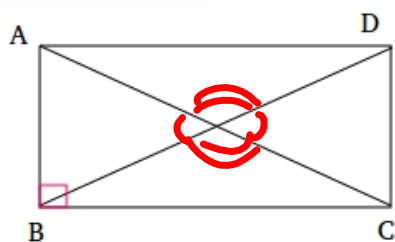
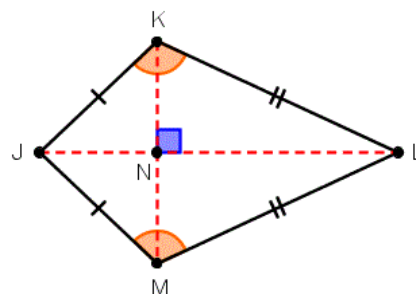
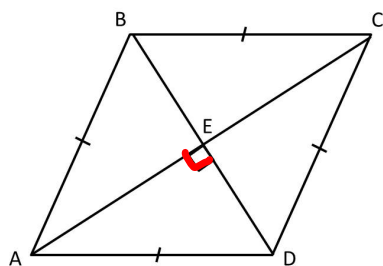
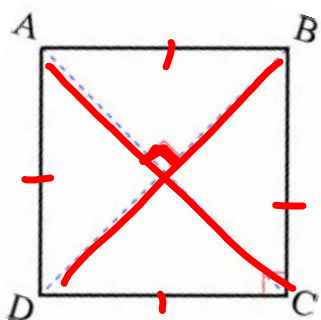
 **36.**  $20 \text{ units}^2$

**38.**  $312.5 \text{ ft}^2$

 **40.**  $12,800 \text{ m}^2$

due tomorrow  
8.3 #s 7-12, 14-17, 20-24

# Diagonals...



pg 459









**Objective** To classify polygons in the coordinate plane

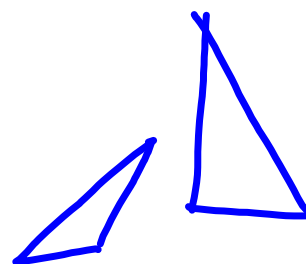
p459

# Triangle classification...

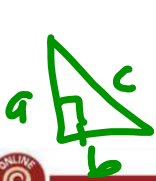
## Angles

## Sides

<p><b>Acute Triangle</b> All three angles are acute (less than <math>90^\circ</math>).</p> 	<p><b>Equilateral Triangle</b> All three sides are congruent (same size).</p> 
<p><b>Right Triangle</b> One of the angles is a right angle (<math>90^\circ</math>).</p> 	<p><b>Isosceles Triangle</b> Two sides are congruent (same size).</p> 
<p><b>Obtuse Triangle</b> One of the angles is an obtuse angle (<math>180^\circ</math>).</p> 	<p><b>Scalene Triangle</b> No sides are congruent (same size).</p> 







$a^2 + b^2 = c^2$  not in book

How could we do this...?



**Problem 1** Classifying a Triangle

Is  $\triangle ABC$  scalene, isosceles, or equilateral?

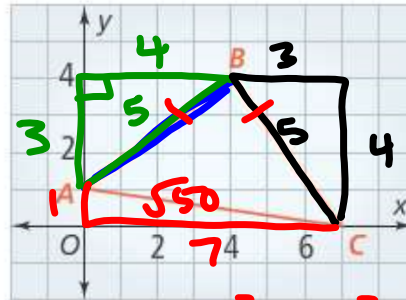
$$3^2 + 4^2 = c^2$$

$$\sqrt{25} = \sqrt{c^2}$$

$$5 = c$$

$\therefore$

Isosceles ★



$$2^2 + 7^2 = c^2$$

$$\sqrt{50} = \sqrt{c^2}$$

2

pg 459

In the Solve It, you formed a polygon on a grid. In this lesson, you will classify polygons in the coordinate plane.

**Essential Understanding** You can classify figures in the coordinate plane using the formulas for slope, distance, and midpoint.

The chart below reviews these formulas and tells when to use them.

Take note

### Key Concept Formulas and the Coordinate Plane

#### Formula

Distance Formula

$$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

Midpoint Formula

$$M = \left( \frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2} \right)$$

Slope Formula

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

#### When to Use It

To determine whether

- sides are congruent
- diagonals are congruent

To determine

- the coordinates of the midpoint of a side
- whether diagonals bisect each other

To determine whether

- opposite sides are parallel
- diagonals are perpendicular
- sides are perpendicular

p459

solution

**Problem 1** Classifying a TriangleIs  $\triangle ABC$  scalene, isosceles, or equilateral?

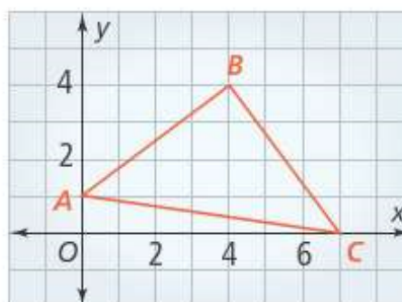
The vertices of the triangle are  $A(0, 1)$ ,  $B(4, 4)$ , and  $C(7, 0)$ .  
Find the lengths of the sides using the Distance Formula.

$$AB = 5$$

$$BC = 5$$

$$CA = 5\sqrt{2}$$

Since  $AB = BC = 5$ ,  $\triangle ABC$  is isosceles.



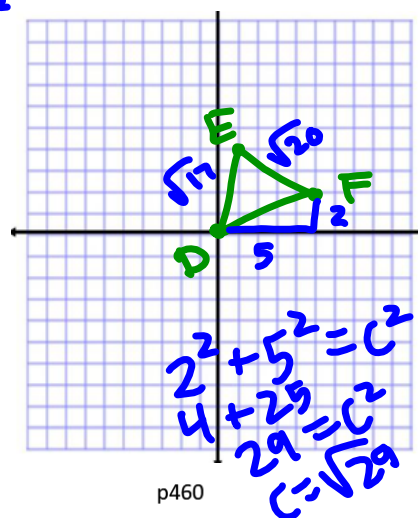
got it pg 460

**Got It?**  $\triangle DEF$  has vertices  $D(0, 0)$ ,  $E(1, 4)$ , and  $F(5, 2)$ . Show that  $\triangle DEF$  is scalene.

$$DE = \sqrt{(1-0)^2 + (4-0)^2} = \sqrt{1+16} = \sqrt{17}$$

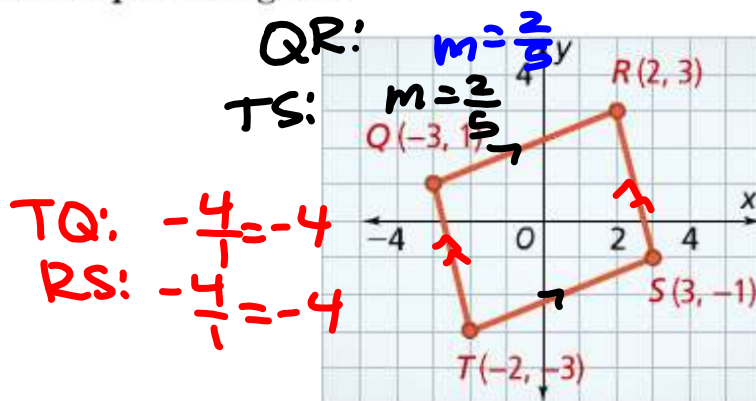
$$EF = \sqrt{(5-1)^2 + (2-4)^2} = \sqrt{16+4} = \sqrt{20}$$

$$FD = \sqrt{(0-5)^2 + (0-2)^2} = \sqrt{25+4} = \sqrt{29}$$



**Problem 2** Classifying a Quadrilateral

not in book

Show that  $QRST$  is a parallelogram.


**Problem 2**
**Classifying a Quadrilateral**
**solution**


Show that  $QRST$  is a parallelogram.

**Step 1** Use the Slope Formula to find the slopes of the sides of  $QRST$ .

$$\text{Slope of } \overline{QR}: \frac{1-3}{-3-2} = \frac{-2}{-5} = \frac{2}{5}$$

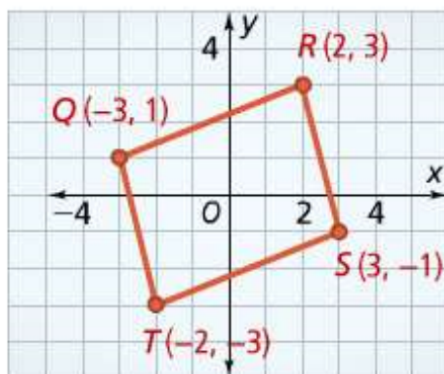
$$\text{Slope of } \overline{RS}: \frac{3-(-1)}{2-3} = \frac{4}{-1} = -4$$

$$\text{Slope of } \overline{ST}: \frac{-1-(-3)}{3-(-2)} = \frac{2}{5}$$

$$\text{Slope of } \overline{QT}: \frac{-3-1}{-3-(-2)} = \frac{-4}{-1} = 4$$

**Step 2** Compare the slopes of the opposite sides of  $QRST$ .

The slopes of opposite sides of  $QRST$  are equal, so opposite sides are parallel. Therefore,  $QRST$  is a parallelogram.



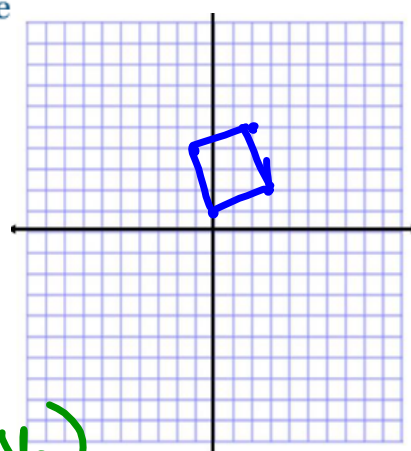
got it pg 461

**Got It?** Parallelogram  $MNPQ$  has vertices  $M(0, 1)$ ,  $N(-1, 4)$ ,  $P(2, 5)$ , and  $Q(3, 2)$ . Show that  $\square MNPQ$  is a rectangle

$$\begin{aligned} MN: & \frac{4-1}{-1-0} = \frac{3}{-1} = -3 \\ NP: & \\ PQ: & -\frac{2}{3} \\ QM: & \frac{1}{3} \end{aligned}$$

$$\frac{y_2 - y_1}{x_2 - x_1}$$

$(x_1, y_1) \quad (x_2, y_2)$



p461



not in book

**Problem 3** Classifying a Quadrilateral

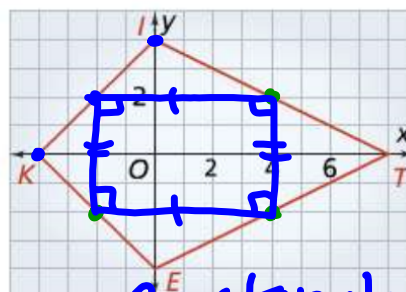
A kite is shown at the right. What is the most precise classification of the quadrilateral formed by connecting the midpoints of the sides of the kite?

$$K(-4,0) \quad I(0,4)$$

$$\left( \frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2} \right)$$

$$\left( \frac{-4 + 0}{2}, \frac{0 + 4}{2} \right)$$

$$\rightarrow (-2, 2)$$



Rectangle



## solution

**Problem 3** Classifying a Quadrilateral

A kite is shown at the right. What is the most precise classification of the quadrilateral formed by connecting the midpoints of the sides of the kite?

**Step 1** Find the midpoint of each side of the kite.

$$A = \text{midpoint of } \overline{KI} = (-2, 2)$$

$$B = \text{midpoint of } \overline{IT} = (4, 2)$$

$$C = \text{midpoint of } \overline{TE} = (4, -2)$$

$$D = \text{midpoint of } \overline{EK} = (-2, -2)$$

**Step 2** Draw a diagram of  $ABCD$ .

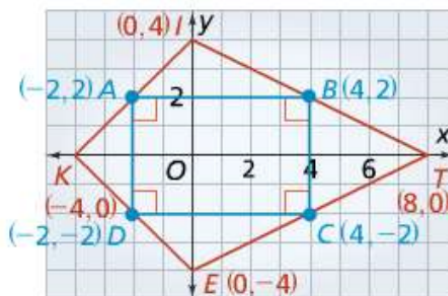
**Step 3** Classify  $ABCD$ .

$$AB = 6$$

$$BC = 4$$

$$CD = 6$$

$$DA = 4$$



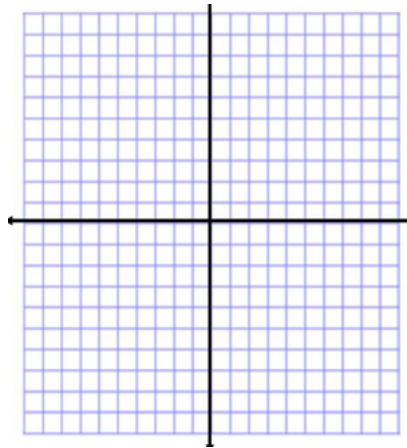
Since opposite sides are congruent,  $ABCD$  is a parallelogram.

Since  $\overline{AB}$  and  $\overline{CD}$  are both horizontal and  $\overline{BC}$  and  $\overline{DA}$  are both vertical, the segments form right angles.

So,  $ABCD$  is a rectangle.

got it pg 461

**Got It?** An isosceles trapezoid has vertices  $A(0, 0)$ ,  $B(2, 4)$ ,  $C(6, 4)$ , and  $D(8, 0)$ . Show that the quadrilateral formed by connecting the midpoints of the sides of  $ABCD$  is a rhombus.



p461

due Thursday  
hw 8.4 #s 8-9, 11-12, 15-17, 25-27

